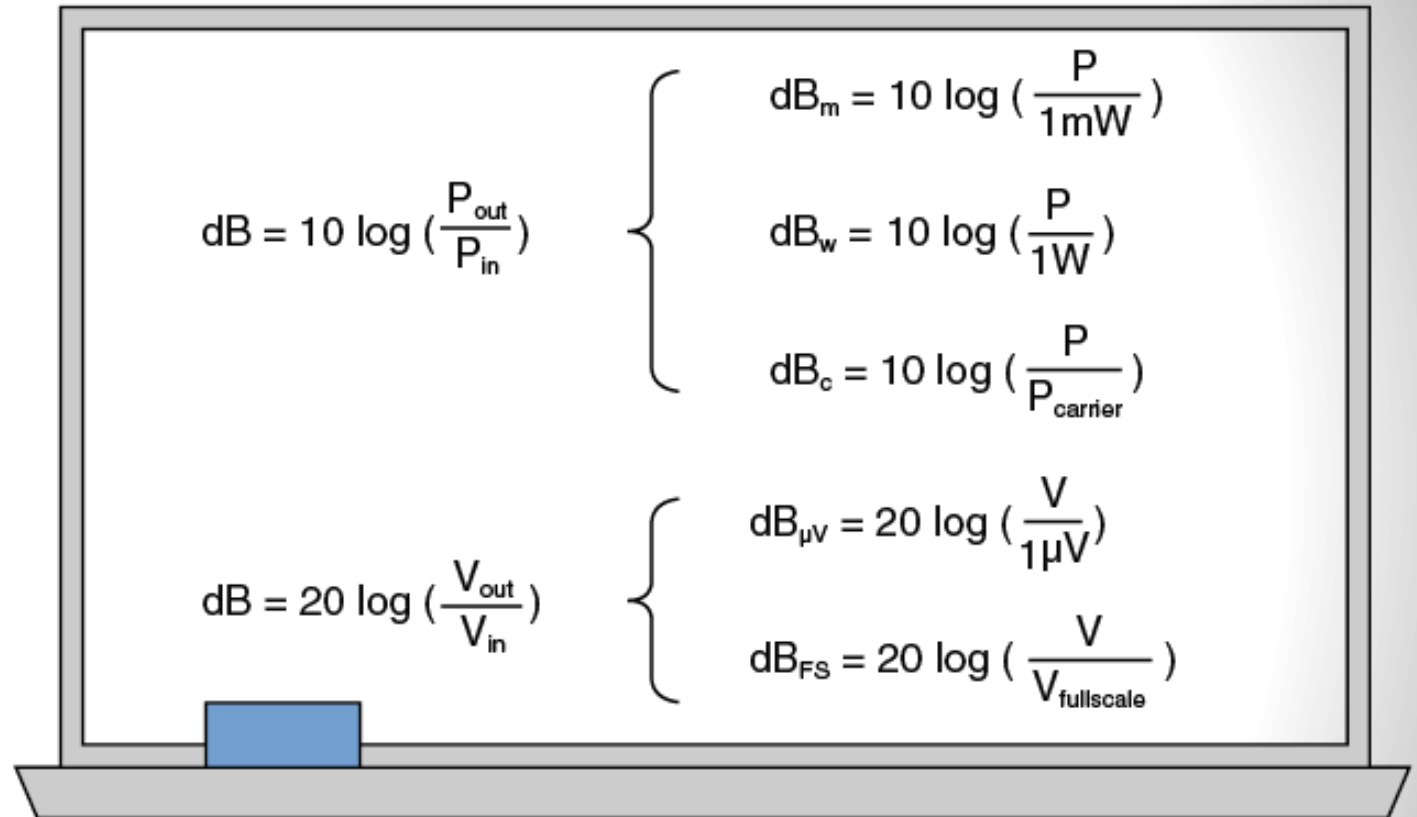
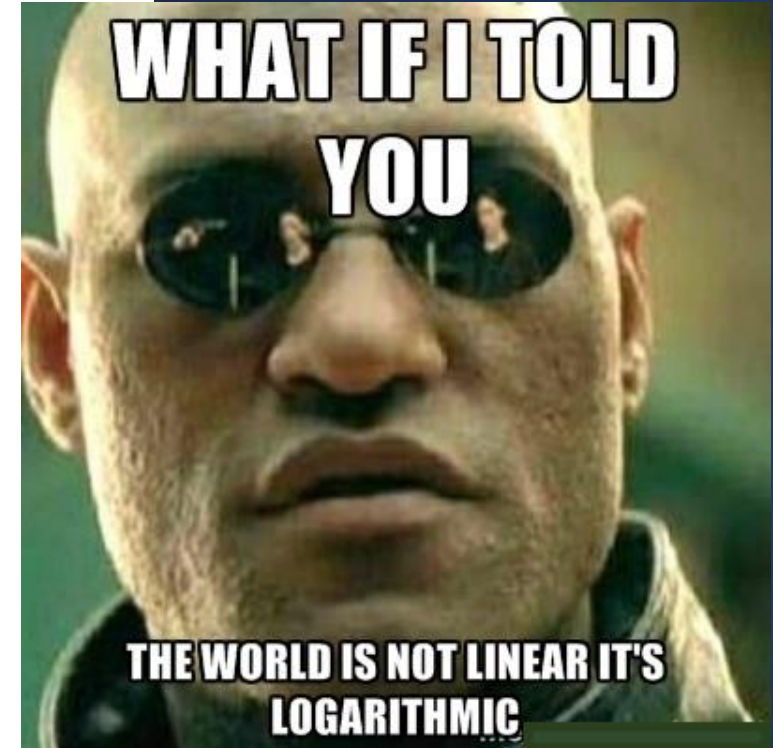


# dB 101



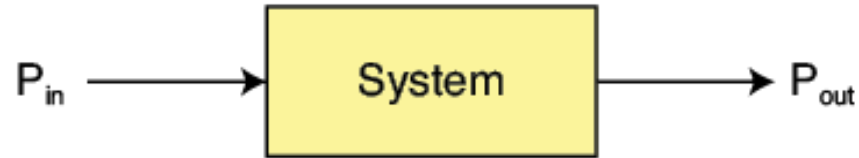
# Basic Logarithms

- $\text{Log}(x) = y$  Means that  $x = 10^y$
- Therefore  $\log(10)=1$  because  $10^1=10$ ,
- $\log(100)=2$  because  $10^2=100$  and so on.
- Similarly,  $\log(0.01)= -2$  because  $10^{-2}=0.01$  and  $\log(1)=0$  because  $10^0=1$



# What the heck is a decibel?

*The decibel is one-tenth of a “Bel” (“deci”=1/10), resulting in the “10” in the formula above*



$$dB = 10 \log \left( \frac{P_{out}}{P_{in}} \right)$$
$$P_{out} = P_{in} \times 10^{\frac{dB}{10}}$$

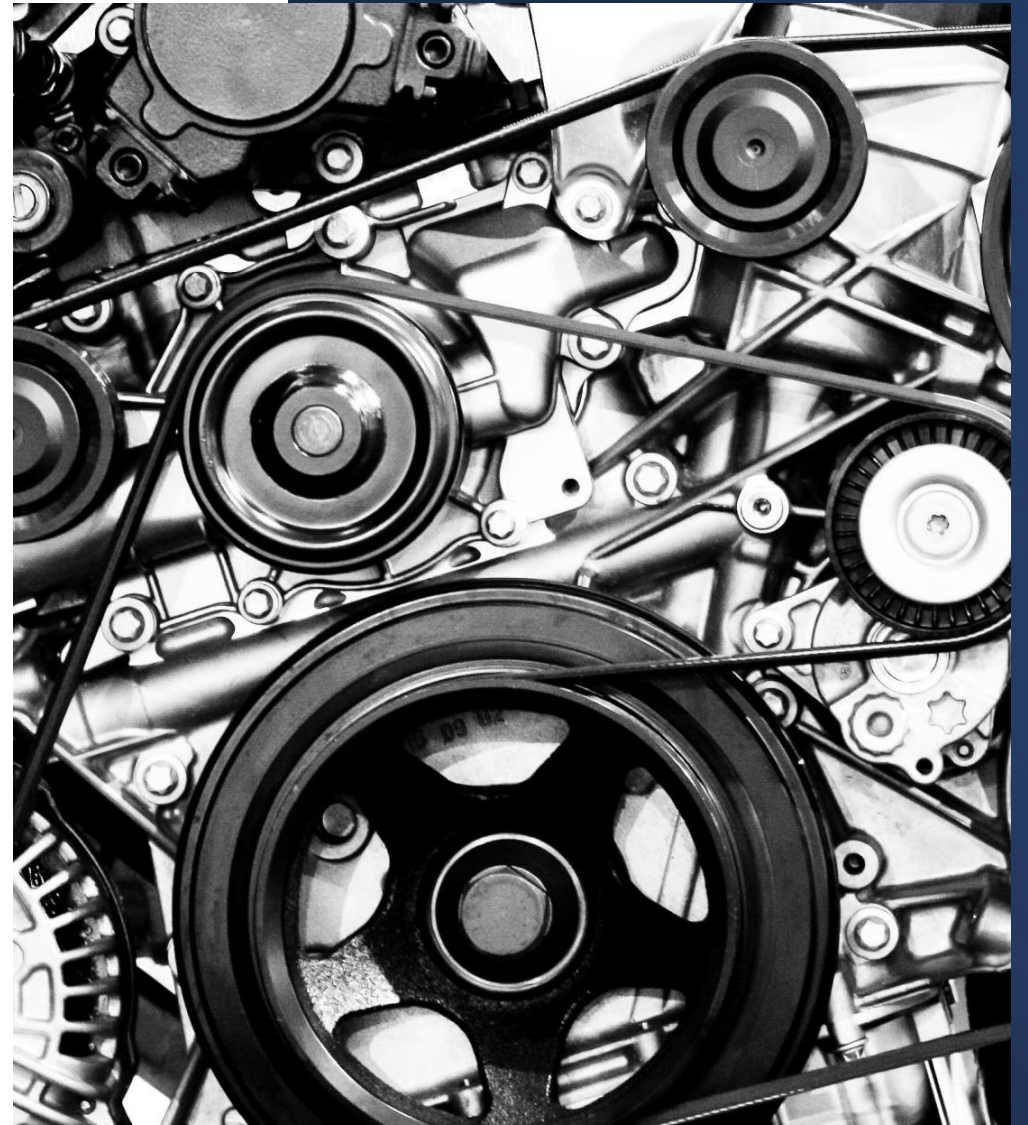
Two large red curved arrows are positioned around the formulas. One arrow starts from the first formula and points down and to the left towards the second formula. The other arrow starts from the second formula and points up and to the right towards the first formula, creating a clockwise cycle.

$P_{out}/P_{in}$	dB
0.000001	-50 dB
0.01	-20 dB
0.1	-10 dB
0.5	-3 dB
0.8	-1 dB
1	0 dB
1.2	+1 dB
2	+3 dB
10	+10 dB
100	+20 dB
100,000	+50 dB

# Everyday decibel levels

Here are some common sounds from everyday life and their decibel ratings:

- **Near total silence:** 0 dB
- **A whisper:** 15 dB
- **Normal conversation:** 60 dB
- **A lawn mower:** 90 dB
- **A car horn:** 110 dB
- **A rock concert or a jet engine:** 120 dB
- **A gunshot or firecracker:** 140 dB



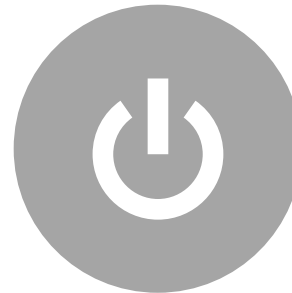
# Easy Thumbrules

Change in dB	Change in sound energy
<b>3 dB <i>increase</i></b>	sound energy is doubled
<b>3 dB <u>decrease</u></b>	sound energy is halved
<b>10 dB <i>increase</i></b>	sound energy is increased by a factor of 10
<b>10 dB <u>decrease</u></b>	sound energy is decreased by a factor of 10
<b>20 dB <i>increase</i></b>	sound energy is increased by a factor of 100
<b>20 dB <u>decrease</u></b>	sound energy is decreased by a factor of 100

# Example of adding decibels



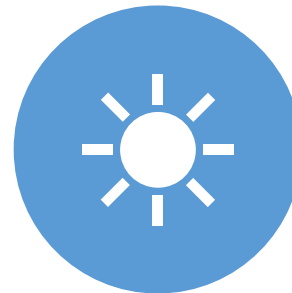
Imagine that you have a 100 mW signal, and chain two attenuators valued at -20 dB and -3 dB respectively.



What would be the output power?



-20 dB means /100, and -3 dB means /2, so overall 200.



The output power will be  $100 \text{ mW} / 200 = 0.5 \text{ mW}$



# What about dBA and dBm?

- In sound measurement, dB (decibels) is a general unit for measuring sound pressure level, while dBA (A-weighted decibels) is a specific measurement that accounts for how the human ear perceives sound at different frequencies.
  - dBA is a more realistic representation of how loud something sounds to a human, as it downweights low and high frequencies where the human ear is less sensitive.
- dB (decibel) and dBm (decibel-milliwatt) are both logarithmic units used in electronics and communication, but they differ in how they quantify power or signal levels.
  - dB is a relative measurement, expressing the ratio between two power levels, while dBm is an absolute measurement, referencing a signal's power relative to a fixed level of 1 milliwatt (mW)

# Sources for self study

<https://circuitcellar.com/research-design-hub/db-for-dummies/>

<https://pulsarinstruments.com/news/understanding-decibels-decibel-scale-and-noise-measurement-units/>